

.model nch mnmos(Level=1 Tox=300n Uo=600 Kp=20.54u W=144u L=8u Vto= 1.3
+ Lambda=15m Cbd=4p Cbs=4p Cgdo=1.7n Cgso=1.7n Rs=1 Rd=1)
.model pch pmos(Level=1 Tox=300n Uo=300 Kp=10.32u W=328u L=8u Vto=-1.5
+ Lambda=15m Cbd=8p Cbs=8p Cgdo=1.7n Cgso=1.7n Rs=1 Rd=1)

$$g_m = \left. \frac{\partial i_D}{\partial v_{GS}} \right|_Q$$

$$g_o = \left. \frac{\partial i_D}{\partial v_{DS}} \right|_Q$$

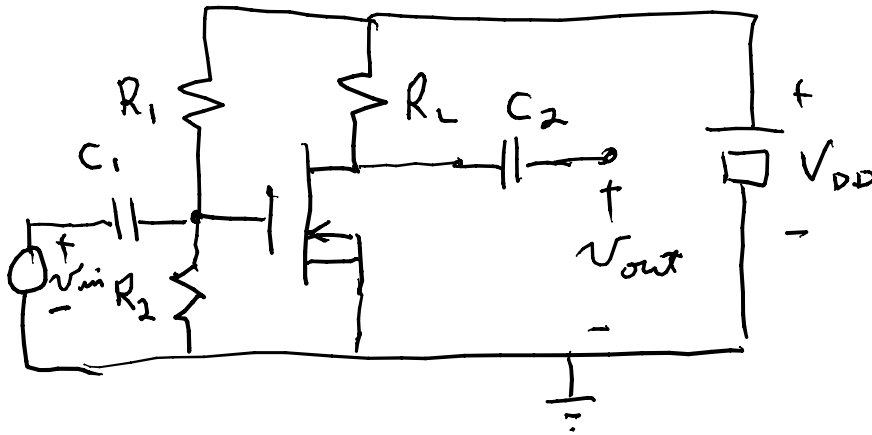
$$= \frac{2 \cdot I_D}{(V_{GS} - V_{TO})}$$

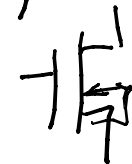
$$= \frac{\lambda I_D}{(1 + \lambda V_{DS})}$$

In saturation region
 $V_{GS} - V_{TO} \leq V_{DS}$

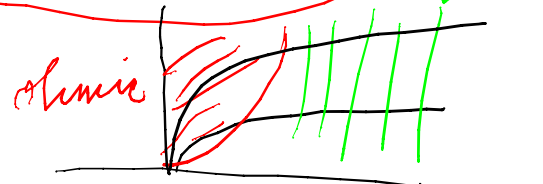
$$i_D = \frac{K_P W}{2 L} (V_{GS} - V_{TO})^2$$

if $V_{DS} = V_{GS}$
we always in sat



but for  then

switch to ohmic when
 $V_{GS} - V_{TO} = V_{DS}$

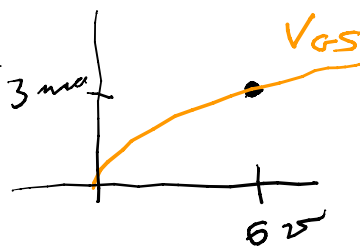


choose Q point, say

$$V_{DS} = 6V$$

$$I_D = 3mA$$

gives $V_{GS} \approx 6V$



gives

$$g_m = \frac{2 \cdot I_D}{V_{GS} - V_{T0}} = \frac{2 \times 3 \times 10^{-3}}{6 - 1.3} = \frac{6}{4.7} \text{ mS} = 1.28 \times 10^{-3} \text{ S}$$

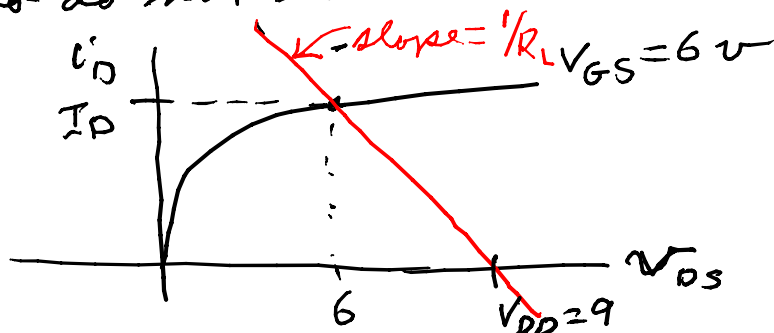
$$g_o = \frac{\lambda I_D}{1 + \lambda V_{DS}} = \frac{15 \times 10^{-3} \times 3 \times 10^{-3}}{1 + 15 \times 10^{-3} \times 6} = \frac{45 \times 10^{-6}}{1.090} \approx 45 \times 10^{-6} \text{ S}$$

$$V_o = 0.02 \times 10^6 \Omega = 200 \text{ k}\Omega$$

fix $V_{DD} = 9 \text{ V}$ then $V_{GS} = 6 \text{ V} = \frac{R_2}{R_1 + R_2} \times V_{DD} = \frac{1}{1 + \frac{R_1}{R_2}} \cdot 9$

$$3 = 6 \cdot \frac{R_1}{R_2} = \frac{1}{2} = \frac{R_1}{R_2}$$

choose $R_1, R_2 = 2R_1$, very large so do not load $\Rightarrow R_1 = 10 \text{ M}\Omega, R_2 = 20 \text{ M}\Omega$



$$\frac{1}{R_L} = -\text{slope of load line} = \frac{I_D - 0}{V_{DD} - V_{DS}} = \frac{3 \times 10^{-3}}{9 - 6} = 10^{-3}$$

$$R_L = 1 \text{ k}\Omega$$

$$\text{gain (small signal)} = -g_m R_L = -1.28 \times 10^{-3} \times 1 \times 10^3 = -1.28$$