

Problem1: (E4.7 page 4-37 from text book)

i) Matlabcode: (use newp)

```
% enee434 spring2005 hw2# problem#1%

% Input vector p%
p=[[1;4] [1;5] [2;4] [2;5] [3;1] [3;2] [4;1] [4;2]];

% Target output t%
t=[0 0 0 0 1 1 1 1];

% setup the neural network netFWAF%

netFWAF=newp([0 5;0 5],1);
    %NET = NEWP(PR,S,TF,LF) takes these inputs,
    %PR - Rx2 matrix of min and max values for R input elements.
    %S - Number of neurons.
    %TF - Transfer function, default = 'hardlim'.
    %LF - Learning function, default = 'learnp'.%
net.trainParam.epochs=50;

% output y before training%
y = sim(netFWAF,p);

% Training the newwork netFWAF with p and t%
netFWAF=train(netFWAF, p, t);

% Weight and bias value%
netFWAF.iw{1,1}
netFWAF.b{1,1}

% output y after training%
y = sim(netFWAF,p);

% enee434 spring2005 hw2# problem#1 end%
```

ii) The weight and bias after training:

| Weight: | Bias: |
|-----------------|----------------|
| netFWAF.iw{1,1} | netFWAF.b{1,1} |
| ans = | ans = |
| 2 -3 | 0 |

iii) Checking if the output y after training agree with target:

```
p =
    1  1  2  2  3  3  4  4
    4  5  4  5  1  2  1  2
t =
    0  0  0  0  1  1  1  1
```

before training the neural network output:

$$y = \begin{matrix} 1 & 1 & 1 & 1 & 1 & 1 & 1 & 1 \end{matrix}$$

after training the neural network output:

$$y = \begin{matrix} 0 & 0 & 0 & 0 & 1 & 1 & 1 & 1 \end{matrix}$$

clearly $y=t$.

Problem2: (E5.9 page 5.29 from text book)

$$x = [1 \ 2 \ 2]^T$$

$$v_1 = [-1 \ 1 \ 0]^T, v_2 = [1 \ 1 \ 2]^T, v_3 = [1 \ 1 \ 0]^T,$$

$$B = [-1 \ 1 \ 1, 1 \ 1 \ 1, 0 \ -2 \ 0],$$

$$B^{-1} = [-0.5 \ 0.5 \ 0, 0 \ 0 \ -0.5, 0.5 \ 0.5 \ 0.5],$$

$$r_1 = [-0.5 \ 0.5 \ 0]^T, r_2 = [0 \ 0 \ -0.5]^T, r_3 = [0.5 \ 0.5 \ 0.5]^T,$$

$$x_1^v = r_1^T * x = [-0.5 \ 0.5 \ 0] * [1 \ 2 \ 2]^T = 0.5,$$

$$x_2^v = r_2^T * x = [0 \ 0 \ -0.5] * [1 \ 2 \ 2]^T = -1,$$

$$x_3^v = r_3^T * x = [0.5 \ 0.5 \ 0.5] * [1 \ 2 \ 2]^T = 2.5$$

$$x = [1 \ 2 \ 2]^T = 0.5 * [-1 \ 1 \ 0]^T - 1 * [1 \ 1 \ 2]^T + 2.5 * [1 \ 1 \ 0]^T.$$

Problem3:

a) give the training pairs p and t : (p is $2*39$ and t is $1*39$)

$$p = [n, IT]^T,$$

$p =$

Columns 1 through 7

$$\begin{matrix} -3.0000 & -2.5000 & -2.0000 & -1.5000 & -1.0000 & -0.5000 & 0 \\ 0.5000 & 0.5000 & 0.5000 & 0.5000 & 0.5000 & 0.5000 & 0.5000 \end{matrix}$$

Columns 8 through 14

$$\begin{matrix} 0.5000 & 1.0000 & 1.5000 & 2.0000 & 2.5000 & 3.0000 & -3.0000 \\ 0.5000 & 0.5000 & 0.5000 & 0.5000 & 0.5000 & 0.5000 & 1.5000 \end{matrix}$$

Columns 15 through 21

$$\begin{matrix} -2.5000 & -2.0000 & -1.5000 & -1.0000 & -0.5000 & 0 & 0.5000 \\ 1.5000 & 1.5000 & 1.5000 & 1.5000 & 1.5000 & 1.5000 & 1.5000 \end{matrix}$$

Columns 22 through 28

$$\begin{matrix} 1.0000 & 1.5000 & 2.0000 & 2.5000 & 3.0000 & -3.0000 & -2.5000 \\ 1.5000 & 1.5000 & 1.5000 & 1.5000 & 1.5000 & 2.5000 & 2.5000 \end{matrix}$$

Columns 29 through 35

$$\begin{matrix} -2.0000 & -1.5000 & -1.0000 & -0.5000 & 0 & 0.5000 & 1.0000 \\ 2.5000 & 2.5000 & 2.5000 & 2.5000 & 2.5000 & 2.5000 & 2.5000 \end{matrix}$$

Columns 36 through 39

$$\begin{matrix} 1.5000 & 2.0000 & 2.5000 & 3.0000 \end{matrix}$$

2.5000 2.5000 2.5000 2.5000

t=a(n) from hw#1, problem3. (Notice t(1, 28) and t(1, 38) are not real by using a(n)).

t =

```
Columns 1 through 4
-0.5000    -0.5000    -0.5000    -0.5000
Columns 5 through 8
-0.5000    -0.4330         0         0.4330
Columns 9 through 12
 0.5000     0.5000     0.5000     0.5000
Columns 13 through 16
 0.5000    -1.5000    -1.5000    -1.5000
Columns 17 through 20
-1.2990    -1.4142    -0.8292         0
Columns 21 through 24
 0.8292     1.4142     1.2990     1.5000
Columns 25 through 28
 1.5000     1.5000    -2.5000         0 - 2.7951i
Columns 29 through 32
-2.0000    -2.4875    -2.0000    -1.0897
Columns 33 through 36
 0         1.0897     2.0000     2.4875
Columns 37 through 39
 2.0000         0 + 2.7951i  2.5000
```

b) Set up the network: (matlab code is attached in the end of this problem).

Important command lines:

```
netan = newff([-3 3; 0 2.5],[5 3 1],{'tansig' 'tansig' 'purelin'});
netan.trainParam.epochs = 50;
netan=train(netan, p, t);
```

c) test vector Ptest(pt), desired output for Ptest Ttest(tt): Ptest(pt)=[n, IT]^T, (2*26):

pt =

```
Columns 1 through 7
-3.0000  -2.5000  -2.0000  -1.5000  -1.0000  -0.5000     0
 0.2000  0.2000  0.2000  0.2000  0.2000  0.2000  0.2000
Columns 8 through 14
 0.5000  1.0000  1.5000  2.0000  2.5000  3.0000 -3.0000
 0.2000  0.2000  0.2000  0.2000  0.2000  0.2000  1.2000
Columns 15 through 21
-2.5000 -2.0000 -1.5000 -1.0000 -0.5000     0  0.5000
 1.2000  1.2000  1.2000  1.2000  1.2000  1.2000  1.2000
Columns 22 through 26
 1.0000  1.5000  2.0000  2.5000  3.0000
 1.2000  1.2000  1.2000  1.2000  1.2000
```

Desired output Ttest(tt):

tt =

```
Columns 1 through 7
-0.2000 -0.2000 -0.2000 -0.2000 -0.2000 -0.2000     0
```

Columns 8 through 14
 0.2000 0.2000 0.2000 0.2000 0.2000 0.2000 -1.2000
 Columns 15 through 21
 -1.2000 -1.2000 -1.2000 -1.1832 -0.7331 0 0.7331
 Columns 22 through 26
 1.1832 1.2000 1.2000 1.2000 1.2000

Command to calculate mean square error between neural net output y and desired output tt:

```
rms=sqrt(mse(y-tt))
```

```
rms =  
0.7275 - 0.6461i
```

Since there is imaginary number involved, you might get error message.

The matlab code:

```
% enee434 spring2005 hw2# problem#3%  
  
% Input vector p and output t%  
for i=1:13;  
    p(1,i)=-3.5+0.5*i;  
    p(2,i)=0.5;  
    if p(1,i)<-0.5  
        t(i)=-0.5;  
    elseif p(1,i)<=0.5  
        t(i)=p(1,i)*sqrt(2*0.5-p(1, i)^2);  
    else  
        t(i)=0.5;  
    end  
end  
  
for i=14:26;  
    p(1, i)=-3.5+0.5*i-6.5;  
    p(2, i)=1.5;  
    if p(1,i)<-1.5  
        t(i)=-1.5;  
    elseif p(1,i)<=1.5  
        t(i)=p(1,i)*sqrt(2*1.5-p(1, i)^2);  
    else  
        t(i)=1.5;  
    end  
end  
  
for i=27:39;  
    p(1, i)=-3.5+0.5*i-13;  
    p(2, i)=2.5;  
    if p(1,i)<-2.5  
        t(i)=-2.5;  
    elseif p(1,i)<=2.5  
        t(i)=p(1,i)*sqrt(2*2.5-p(1, i)^2);
```

```

else
    t(i)=2.5;
end
end

% Input vector testing vector pt and testing output tt%
for i=1:13;
    pt(1,i)=-3.5+0.5*i;
    pt(2,i)=0.2;
    if pt(1,i)<-0.2
        tt(i)=-0.2;
    elseif pt(1,i)<=0.2
        tt(i)=pt(1,i)*sqrt(2*0.2-pt(1, i)^2);
    else
        tt(i)=0.2;
    end
end

for i=14:26;
    pt(1, i)=-3.5+0.5*i-6.5;
    pt(2, i)=1.2;
    if pt(1,i)<-1.2
        tt(i)=-1.2;
    elseif pt(1,i)<=1.2
        tt(i)=pt(1,i)*sqrt(2*1.2-pt(1, i)^2);
    else
        tt(i)=1.2;
    end
end

% setup the neural network netan%

netan = newff([-3 3; 0 2.5],[5 3 1],{'tansig' 'tansig' 'purelin'});

%net = newff creates a new network with a dialog box.
%newff(PR,[S1 S2...SN1],{TF1 TF2...TFN1},BTF,BLF,PF) takes,
%PR - R x 2 matrix of min and max values for R input elements.
%Si - Size of ith layer, for NI layers.
%TFi - Transfer function of ith layer, default = 'tansig'.
%BTF - Backpropagation network training function, default = 'traingdx'.
%BLF - Backpropagation weight/bias learning function, default = 'learnqdm'.
%PF - Performance function, default = 'mse'.
%and returns an N layer feed-forward backprop network.
netan.trainParam.epochs = 50;

% Training the newwork netan with p and t%
netan=train(netan, p, t);

% output y after training with in put pt%
y = sim(netan,pt);

```

```
%rms error between the neural network output y and desired target tt%  
  rms=sqrt(mse(y-tt))  
% enee434 spring2005 hw2# problem#3 end%
```