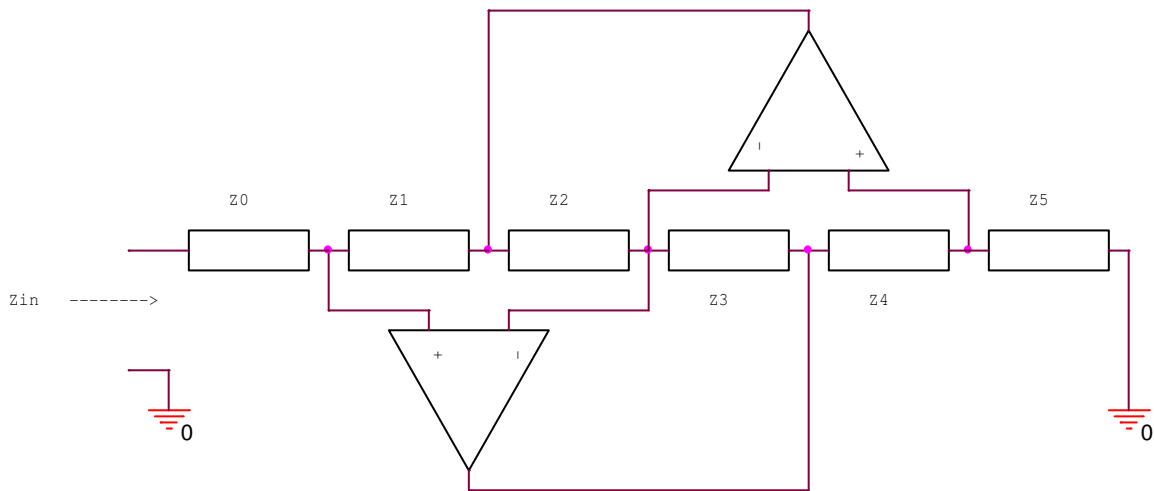


1. The following circuit is called a GIC (=General Impedance Converter). When the op-amps are ideal, it is known that (where all Z's are impedances)

$$Z_{in} = Z_0 + (Z_1 \cdot Z_3 \cdot Z_5) / (Z_2 \cdot Z_4)$$

- Show this to be the case.
- Let $Z_0 = Z_1 = Z_2 = Z_4 = R$, $Z_3 = Z_5 = sC$. Give $Z_{in}(s)$ and evaluate for $s = j\omega$. Comment on a possible meaning of this.
- Repeat b) with $Z_0 = 0$, $Z_1 = Z_2 = Z_5 = R$, $Z_3 = Z_4 = sC$.
- Find Z_{in} in terms of Z_0 through Z_5 when the op-amps have a (constant) voltage gain, K , and zero input currents. Evaluate in the situations of c) and d) above.



- Consider that the above circuit is made into a 2-port by replacing Z_5 by the second port. Find the 2-port admittance matrix and check that when it is loaded by Z_5 the formula given above for Z_{in} holds. Discuss existence of the 2-port Z matrix.
- It is conjectured that this can be made into a gyrator by an appropriate placing of the second port and choice of the Z 's. Check if this is possible and if not decide if anything can be done to simply modify the circuit to make it possible..