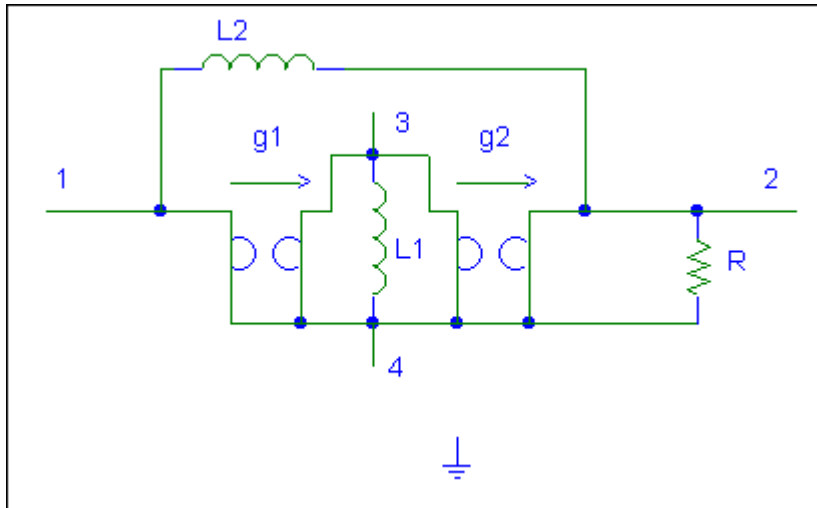


ENEE 610  
 Homework Problems for Grading, Set 2 (100 points)  
 Due at class W 09/19/07  
 Indefinite Y and Incidence Matrix

These problems use the following circuit taken from Homework Set 1



1. (50 points)

- a) Using the node numbers indicated set up the indefinite admittance matrix  $Y_{ind}(s)$ .
- b) Ground node 4 to get the nodal admittance matrix  $Y_{node}(s)$ .
- c) Eliminate node 3, with ground still at node 4, to get the 2-port admittance matrix  $Y(s)$ .

2. (50 points)

- a) For the circuit as drawn, give the oriented circuit graph [use the node numbering 1 through 4 as indicated and number the ground node 5]. Assume branches 1 through 4 connect nodes 1 through 4 to ground, branches 5 & 6 are for  $g_1$  (left for 5), branches 7 & 8 are for  $g_2$  (left for 7), and branches 9, 10, 11 are for  $L_1$ ,  $L_2$ ,  $R$ , respectively, with all orientation arrows pointing down or to the right.
- b) Show that the graph can be made planar by a possible redrawing.
- c) Give the augmented incidence matrix  $A_a$  for the graph just found.
- d) The number of trees,  $n_T$ , of a graph is stated in problem 3.12 of Peikari to be given by
 
$$n_T = \det(A_a A_a^T)$$
 Find the number of trees for this graph.