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Sinusoids in continuous time: example

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- Sinusoids in continuous time: example
- Addition of sinusoids using phasors

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- Sinusoids in continuous time: example
- Addition of sinusoids using phasors
- Introduction to discrete-time sinusoids

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Based on given information, determine A,  $\Omega$  and  $\phi$ .